

- Discretizzazione con vari metodi e differenti T_c
- Regolatore deadbeat semplificato
- Progetto secondo Dahlin
- Risposta armonica sistema discretizzato

Funzione continua (red):

$$G(s) := \frac{1}{(s+1)(s+10)}$$

Tempi di campionamento: 0.05, 0.1, 0.3 sec

Metodi: Tustin (green)

$$s = \frac{2}{T_c} \frac{1 - z^{-1}}{1 + z^{-1}}$$

Differenze all'indietro (blu)

$$s = \frac{1 - z^{-1}}{T_c}$$

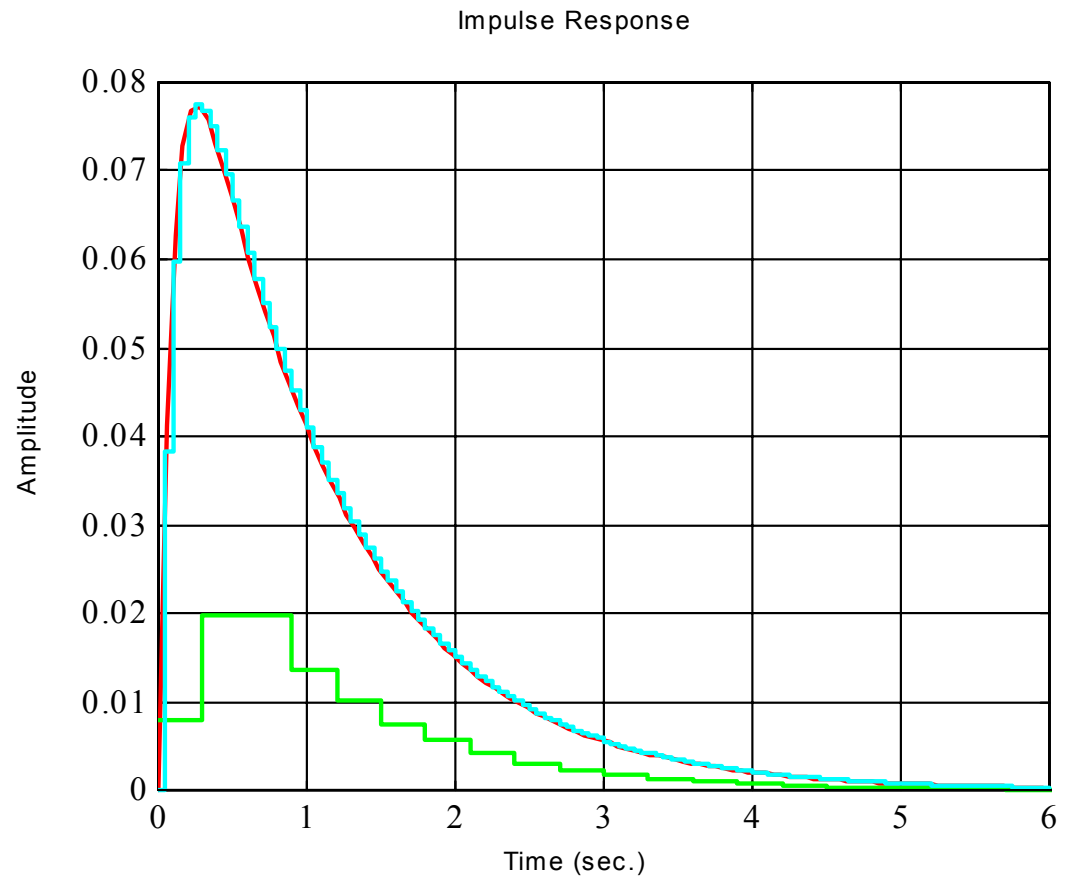
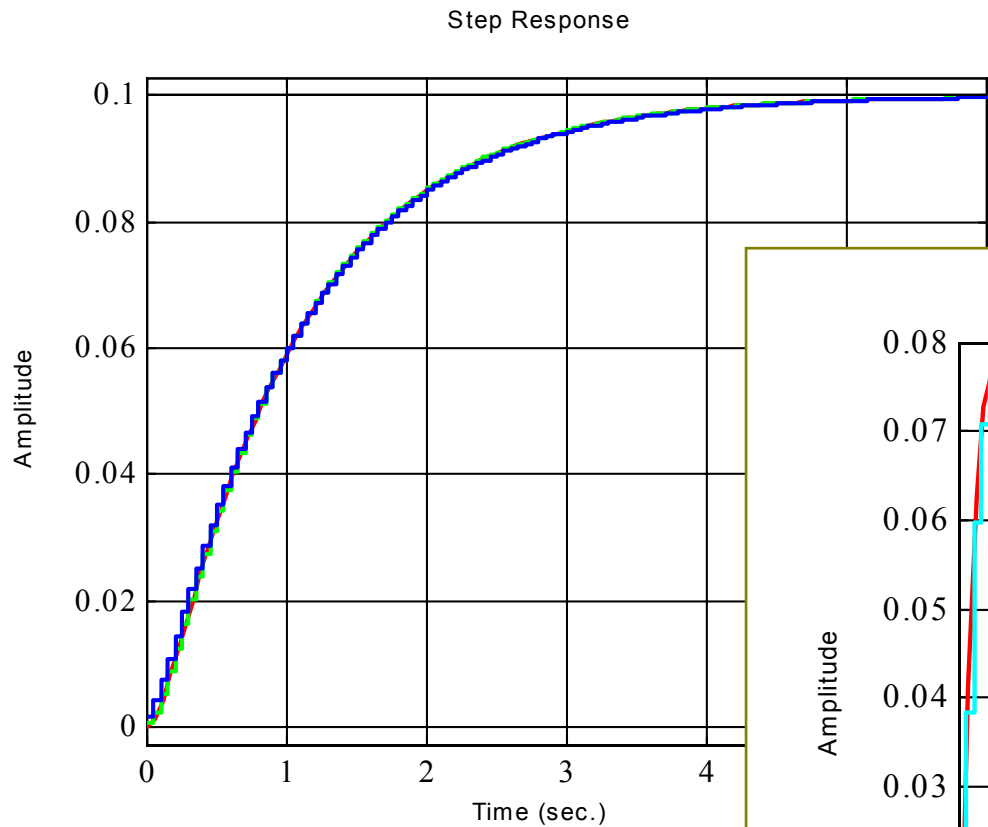
Esatto (cyan)

$$Z[L^{-1}\{G(s)\}]$$

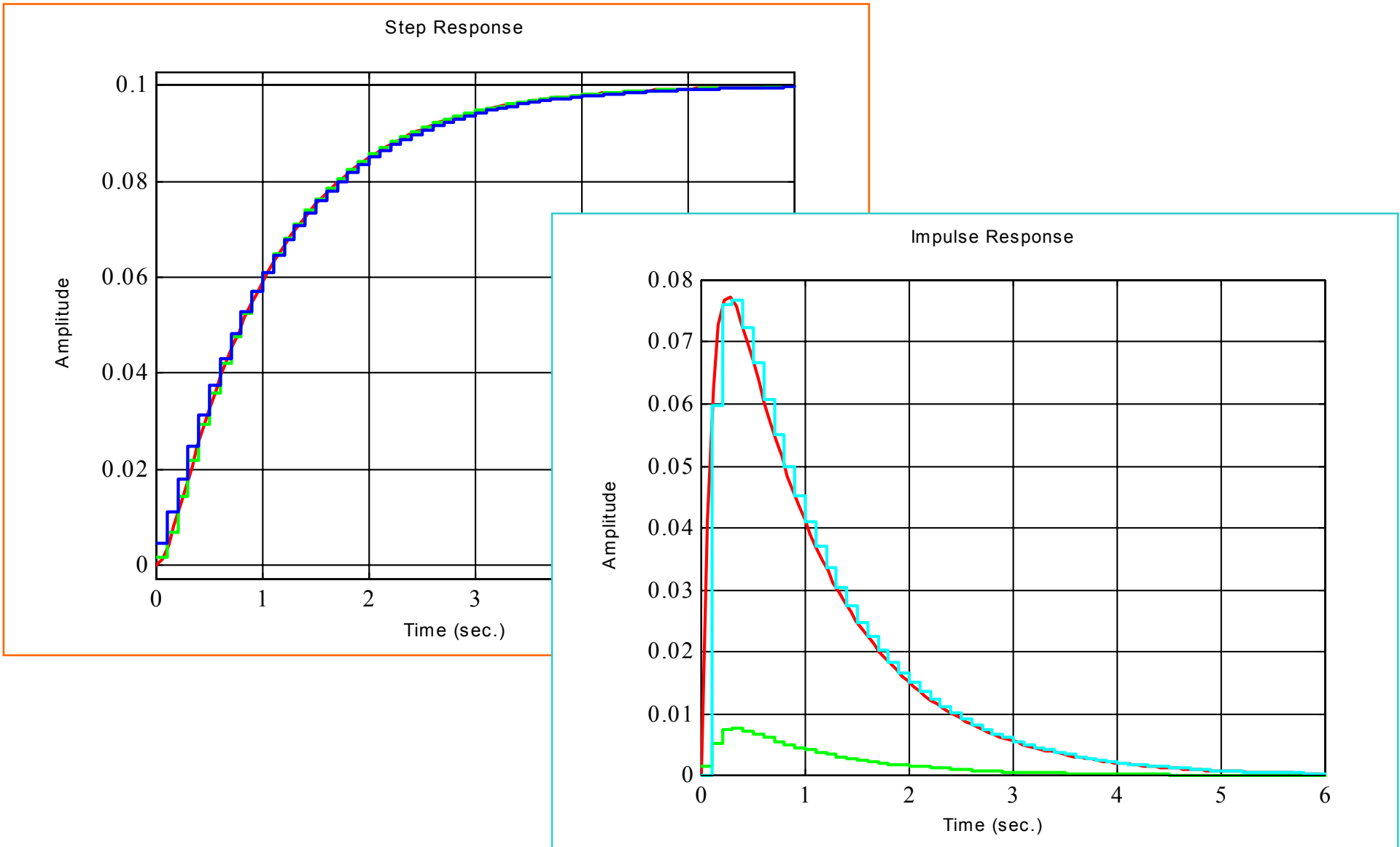
Zoh (magenta)

$$(1 - z^{-1}) Z \left[L^{-1} \left\{ \frac{G(s)}{s} \right\} \right]$$

RISPOSTA AL GRADINO E IMPULSIVA CON $T_c=0.05$

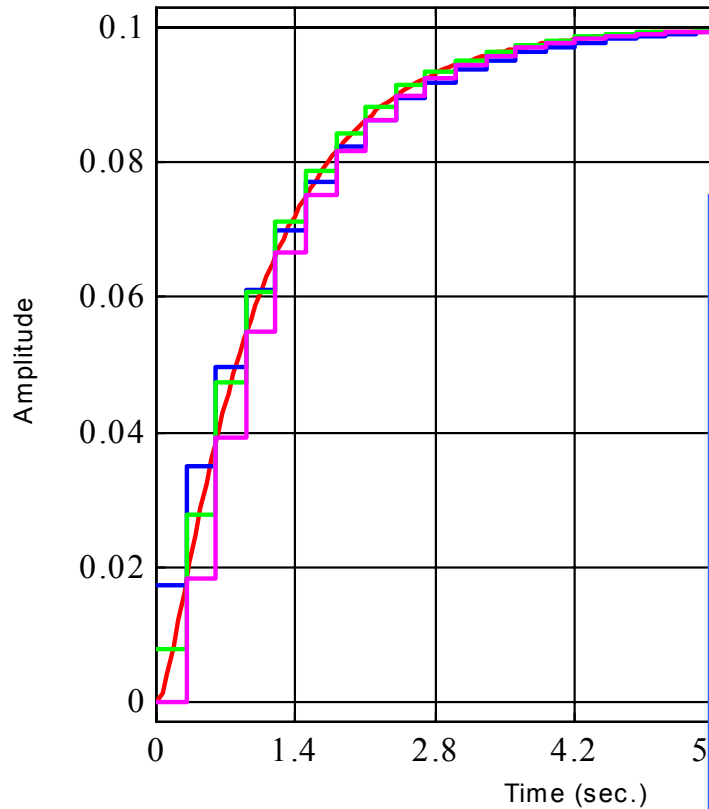


RISPOSTA AL GRADINO E IMPULSIVA CON $T_c=0.1$

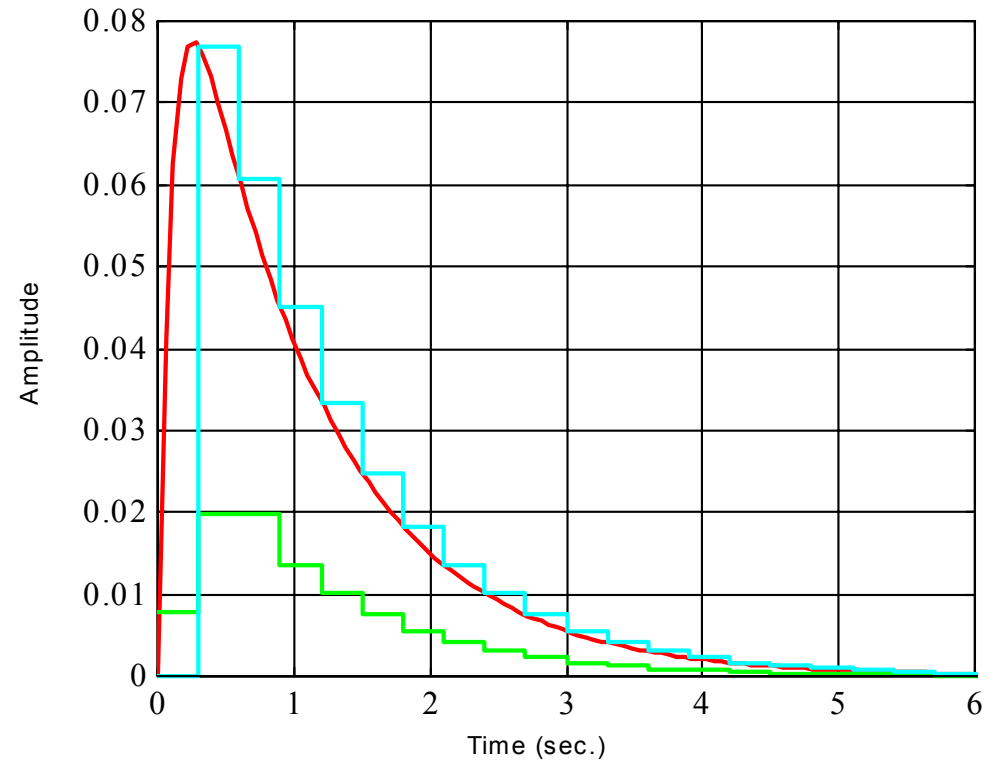


RISPOSTA AL GRADINO E IMPULSIVA CON $T_c=0.3$

Step Response



Impulse Response



Processo:

$$G(s) = \frac{1}{(0.5s + 1)(s + 1)^2(2s + 1)}$$

Discr. con Zoh:

$T_c=5$ sec:

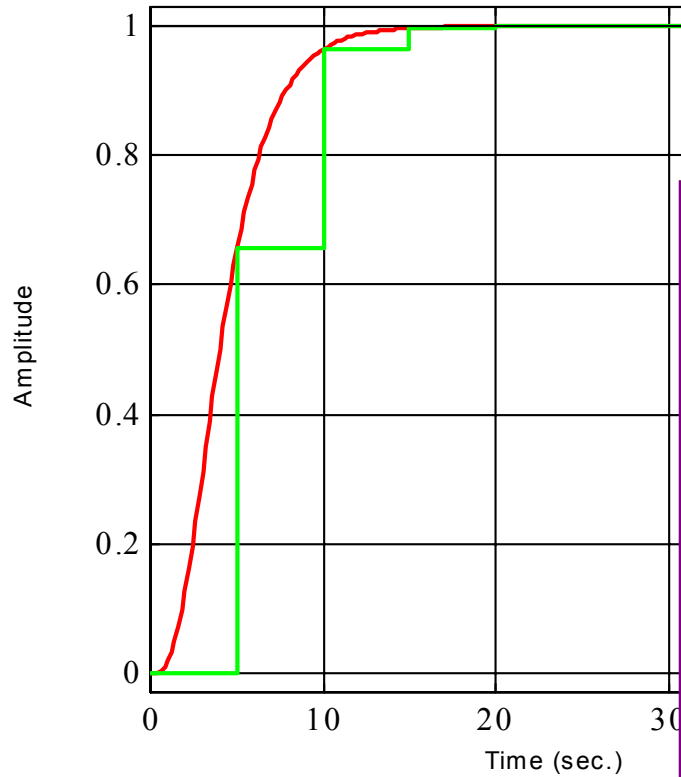
$$G(z) = \frac{0.6566 z^3 + 0.2458 z^2 + 0.003162 z + 1.081e-006}{z^4 - 0.09561 z^3 + 0.001156 z^2 - 3.779e-006 z + 1.692e-010}$$

$T_c=3.5$ sec:

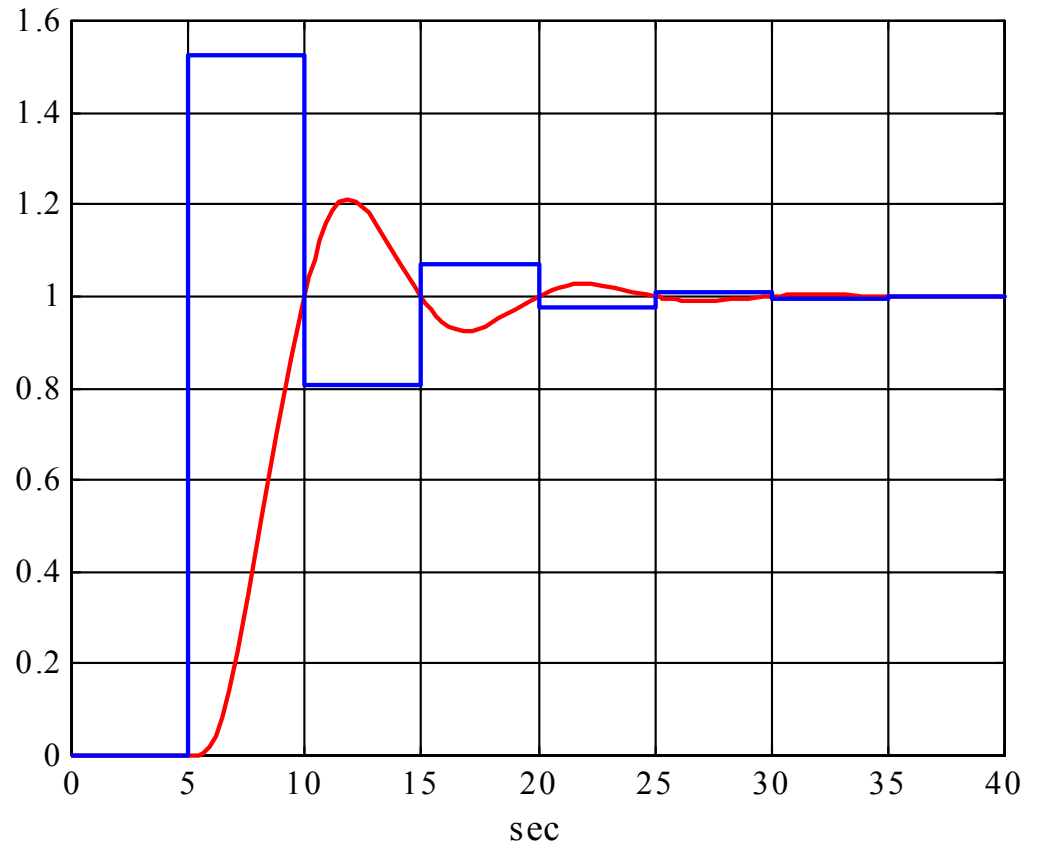
$$G(z) = \frac{0.4057 z^3 + 0.3543 z^2 + 0.01634 z + 3.417e-005}{z^4 - 0.2351 z^3 + 0.01162 z^2 - 0.0001689 z + 1.445e-007}$$

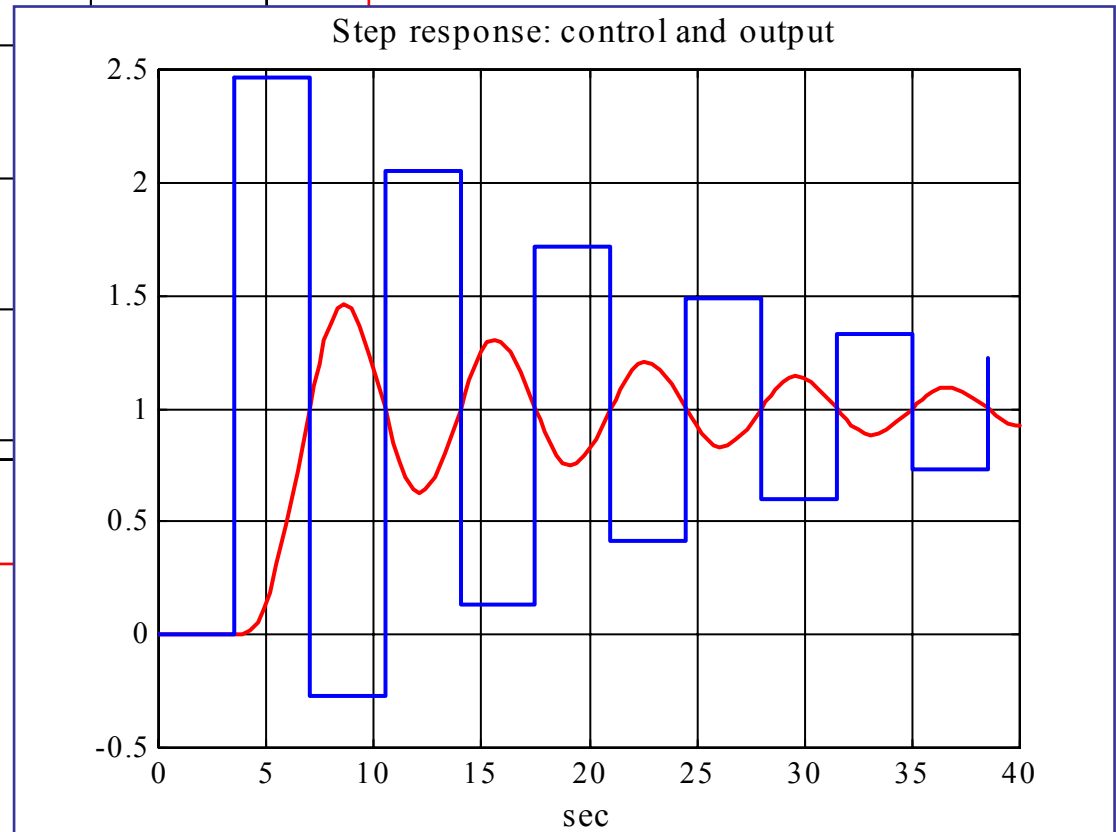
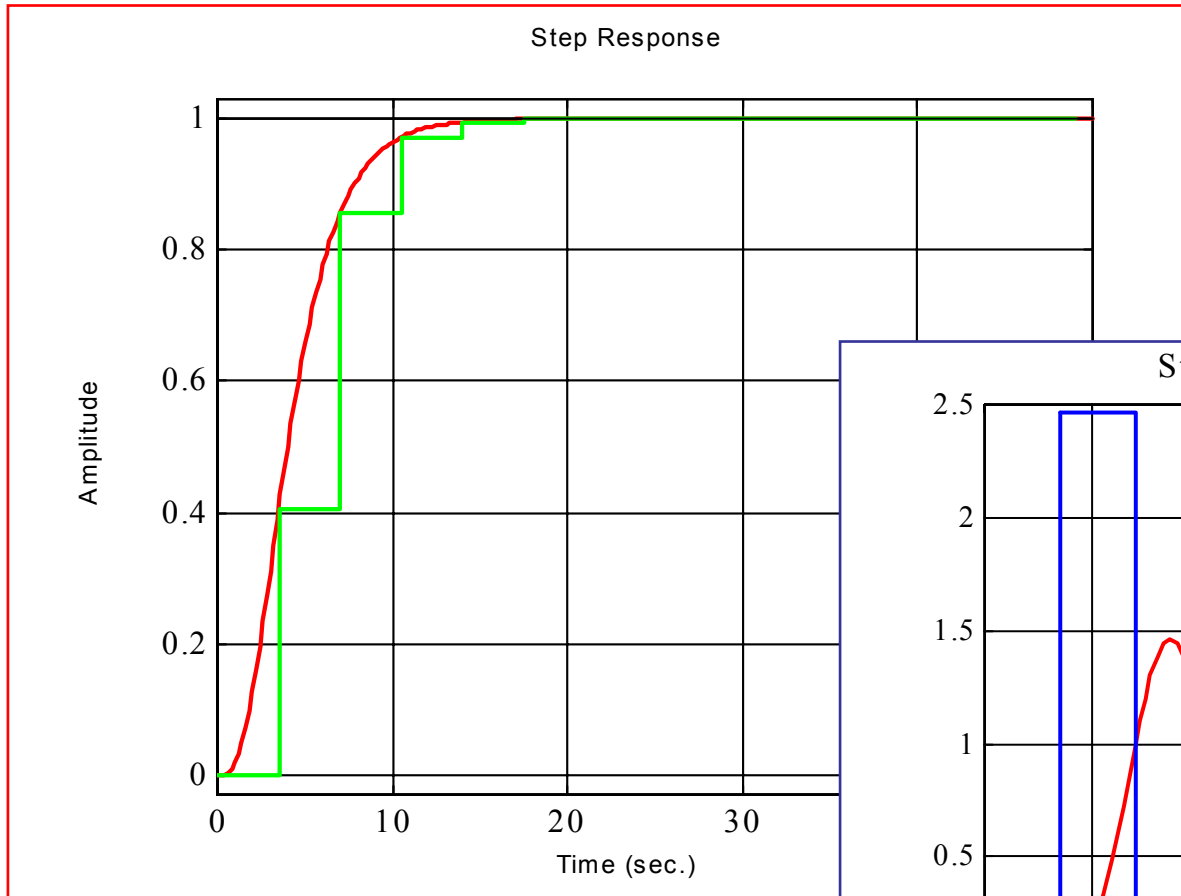
$W(z)$ desiderata= z^{-1}

Step Response



Step response: control and output





PROGETTO SECONDO DAHLIN

Processo:

$$G(s) = \frac{1}{(0.5s + 1)(s + 1)^2(2s + 1)}$$

Uscita desiderata:

$$Y(s) = \frac{e^{-\theta s}}{\lambda s + 1} \frac{1}{s}$$

per l'ingresso:

$$V(z) = \frac{1}{1 - z^{-1}}$$

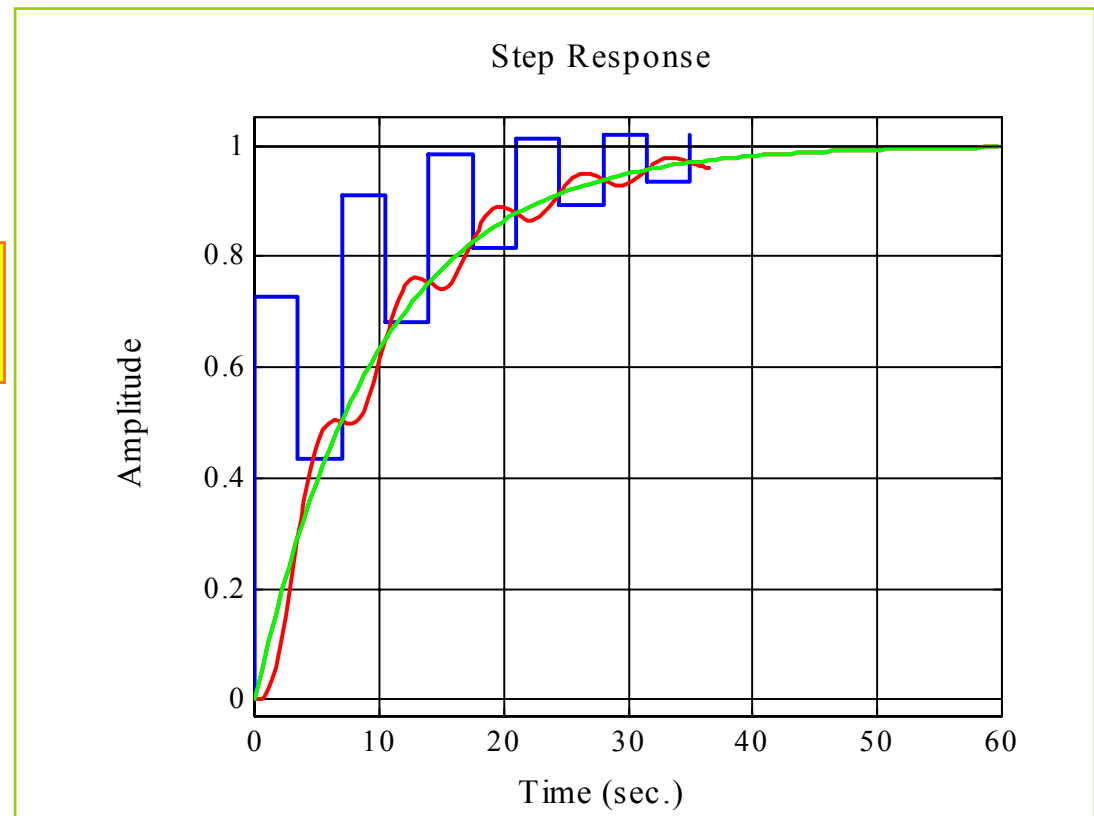
A ciclo chiuso:

$$G_m(z) = \frac{Y(z)}{V(z)}$$

Regolatore:

$$R(z) = \frac{1}{G(z)} \frac{G_m(z)}{1 - G_m(z)}$$

Parametri: $\lambda=10$, $\theta=0$



Sistema:

$$G(s) = \frac{1}{(0.5s + 1)(s + 1)^2 (2s + 1)}$$

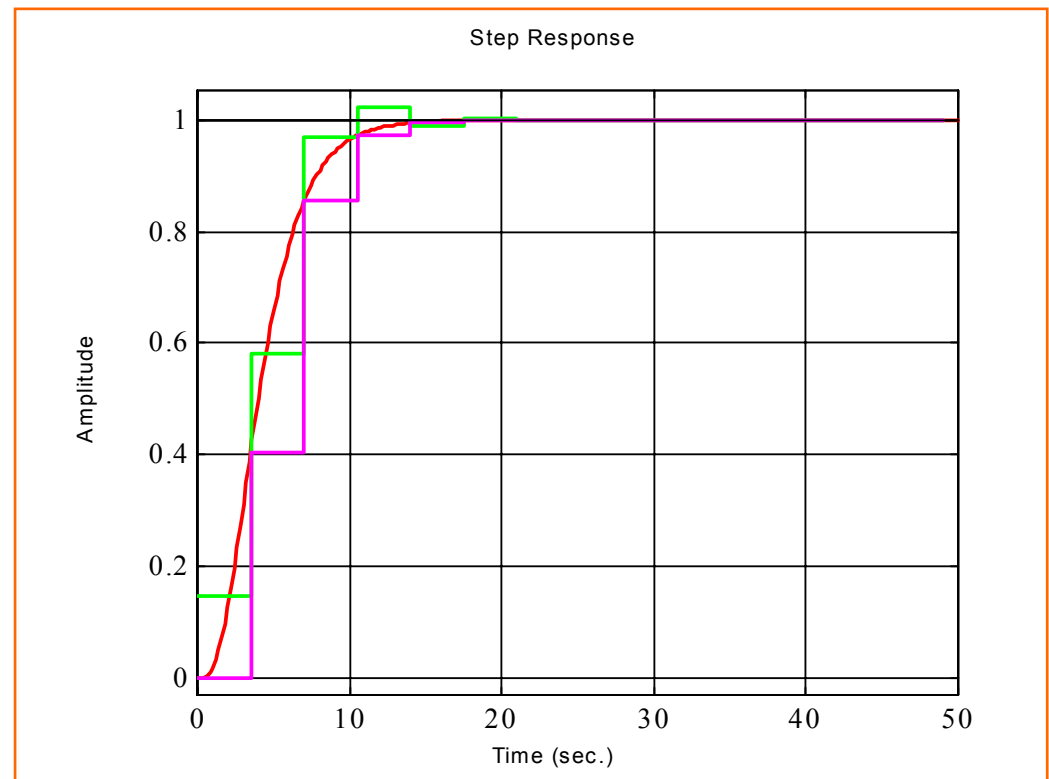
$T_c = 3.5 \text{ sec}$

$\omega_c/2 = 0.8976 \text{ rad/sec}$

Discretizzazione:

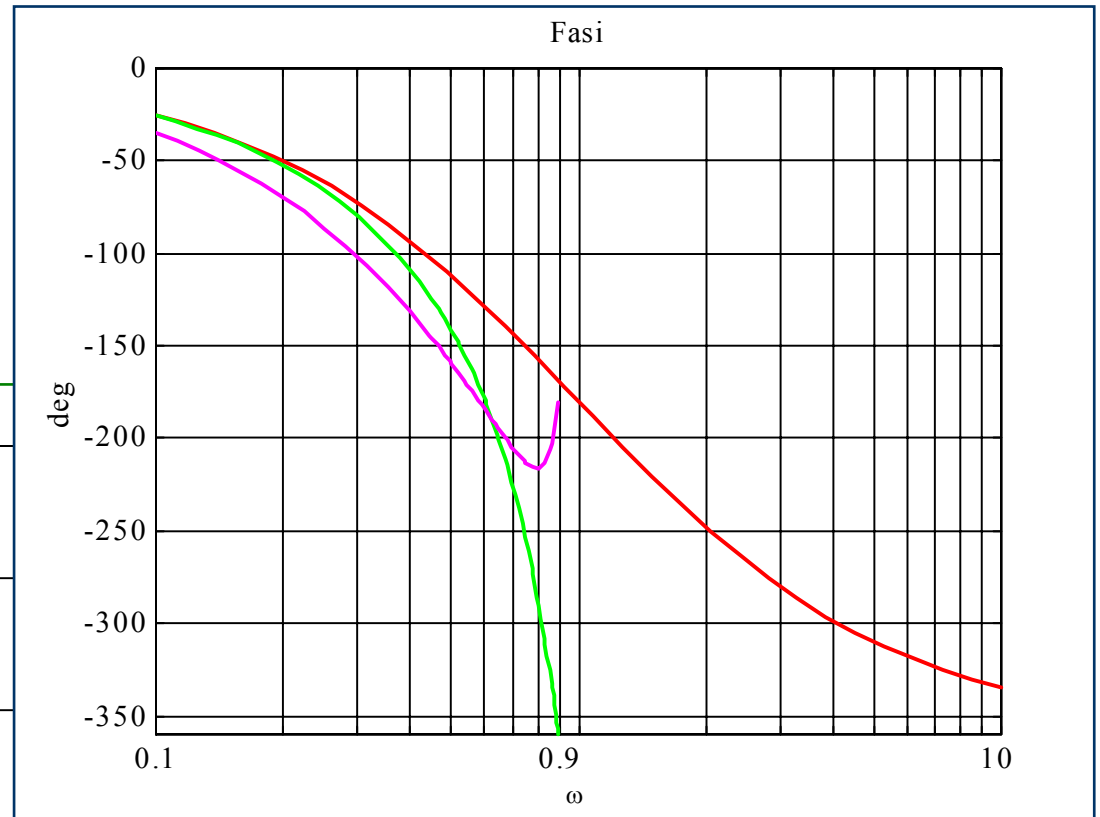
-Tustin

-Zoh

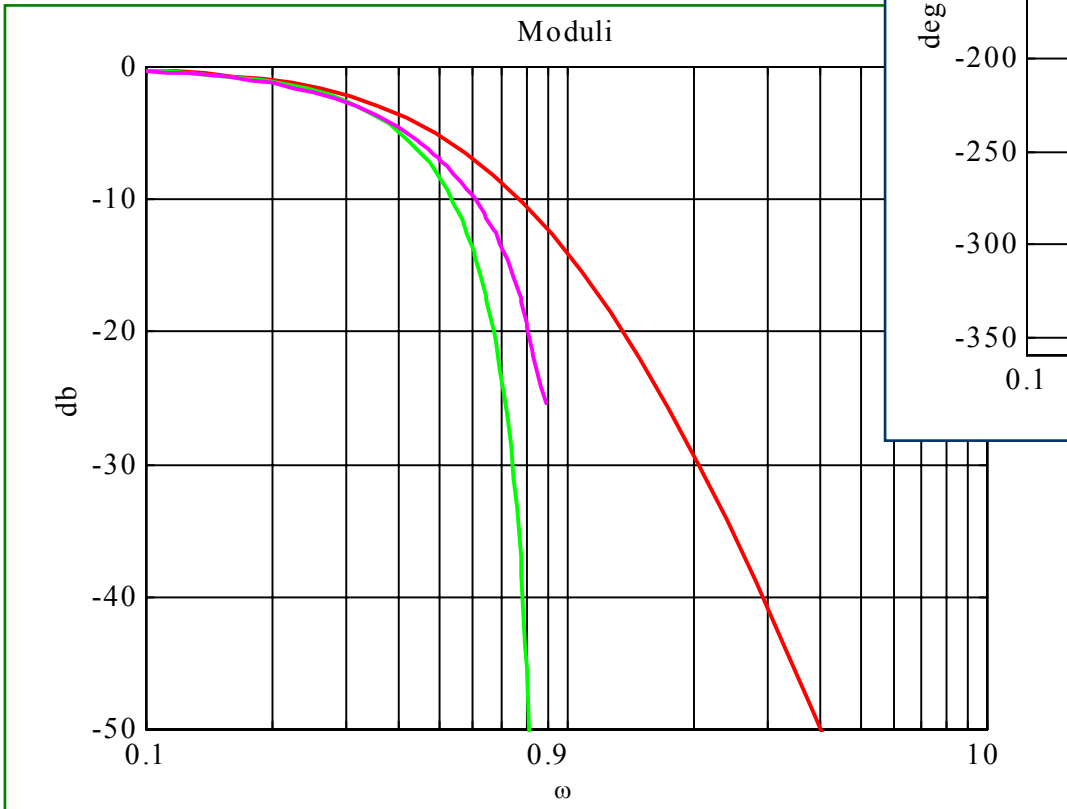


RISPOSTA ARMONICA: DIAGRAMMI

Fasi



Moduli



Moduli